## Appendix 1: Wilbur's Formula

They depend on the story under evaluation <sup>[37,38]</sup>.

For the first story:

$$R_{1} = \frac{48E}{D_{1}h_{1}} \quad D_{1} = \frac{4h_{1}}{\sum K_{c1}} + \frac{h_{1} + h_{2}}{\sum K_{t1} + \sum K_{c1}/12}$$
(1)

For the second story:

$$R_{2} = \frac{48E}{D_{2}h_{2}} \quad D_{2} = \frac{4h_{2}}{\sum K_{c2}} + \frac{h_{1} + h_{2}}{\sum K_{t1} + \sum K_{c1}/12} + \frac{h_{2} + h_{3}}{\sum K_{t2}}$$
(2)

And for intermediate stories:

$$R_{n} = \frac{48E}{D_{n}h_{n}} \quad D_{n} = \frac{4h_{n}}{\sum K_{cn}} + \frac{h_{m} + h_{n}}{\sum K_{tm}} + \frac{h_{n} + h_{o}}{\sum K_{tn}}$$
(3)

Where:  $R_n$  is the lateral stiffness for the nth floor, E the Young modulus,  $K_{tn}$  and  $K_{cn}$  represent the relation I/L (Ratio between the second moment of area of the cross section and the length) for beams and columns respectively in the nth story, m, n and o are three consecutive levels and  $h_n$  is the story height. When dealing with the last level  $h_m$  must be replaced by  $2h_m$  and  $h_o=0$ .

The assumptions underlying the development of these expressions are: i) they are valid on regular frames composed of constant inertia elements, ii) the axial deformations of the elements are neglected, iii) the columns develop points of inflection and iv) the rotation of each point as well as the shear force on the studied level and the two adjacent levels have the same value.